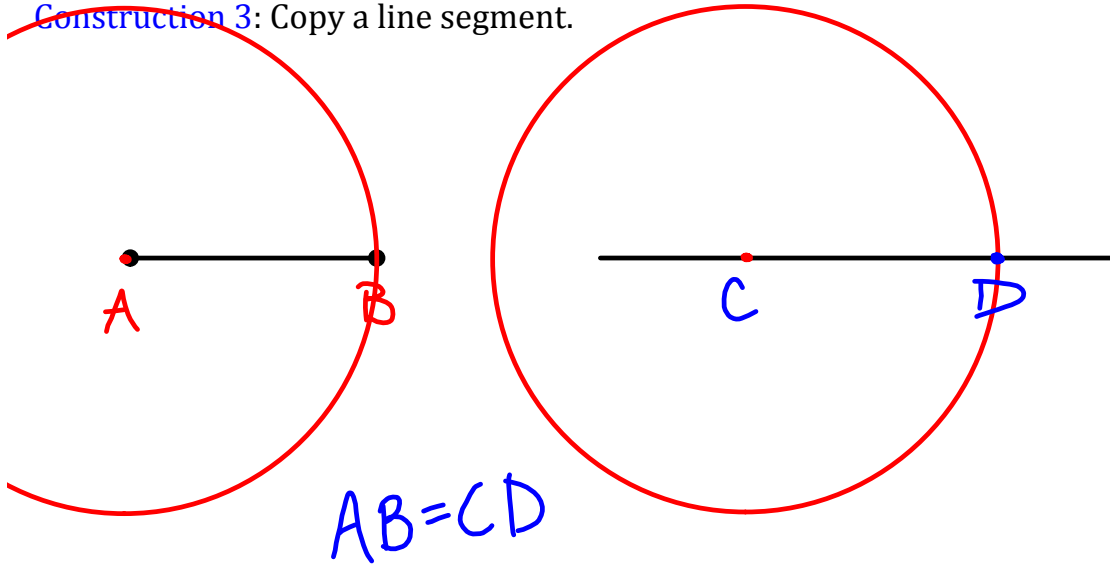


**4.7 - Constructions**

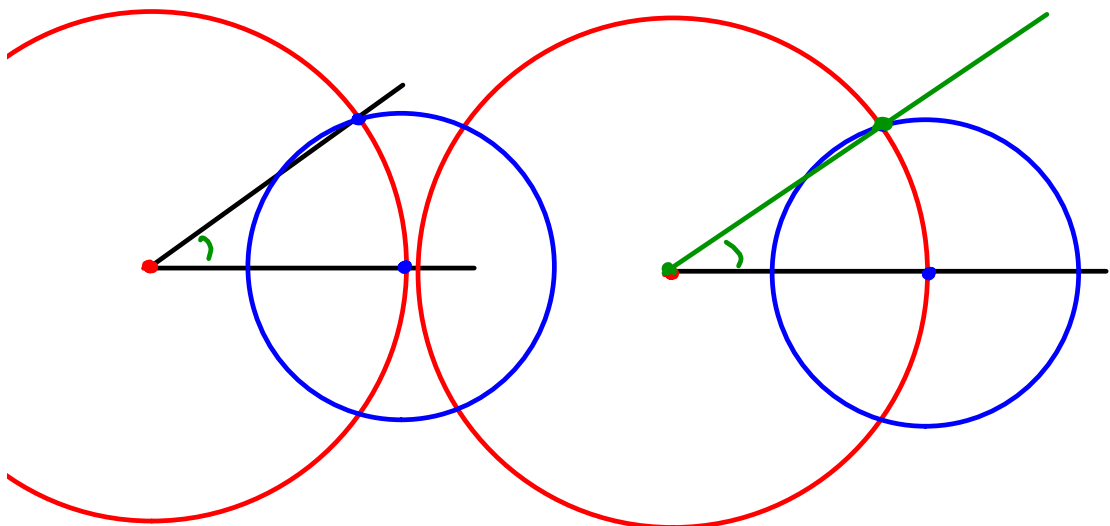
Construction 1: Bisect a line segment.

Construction 2: Bisect an angle.

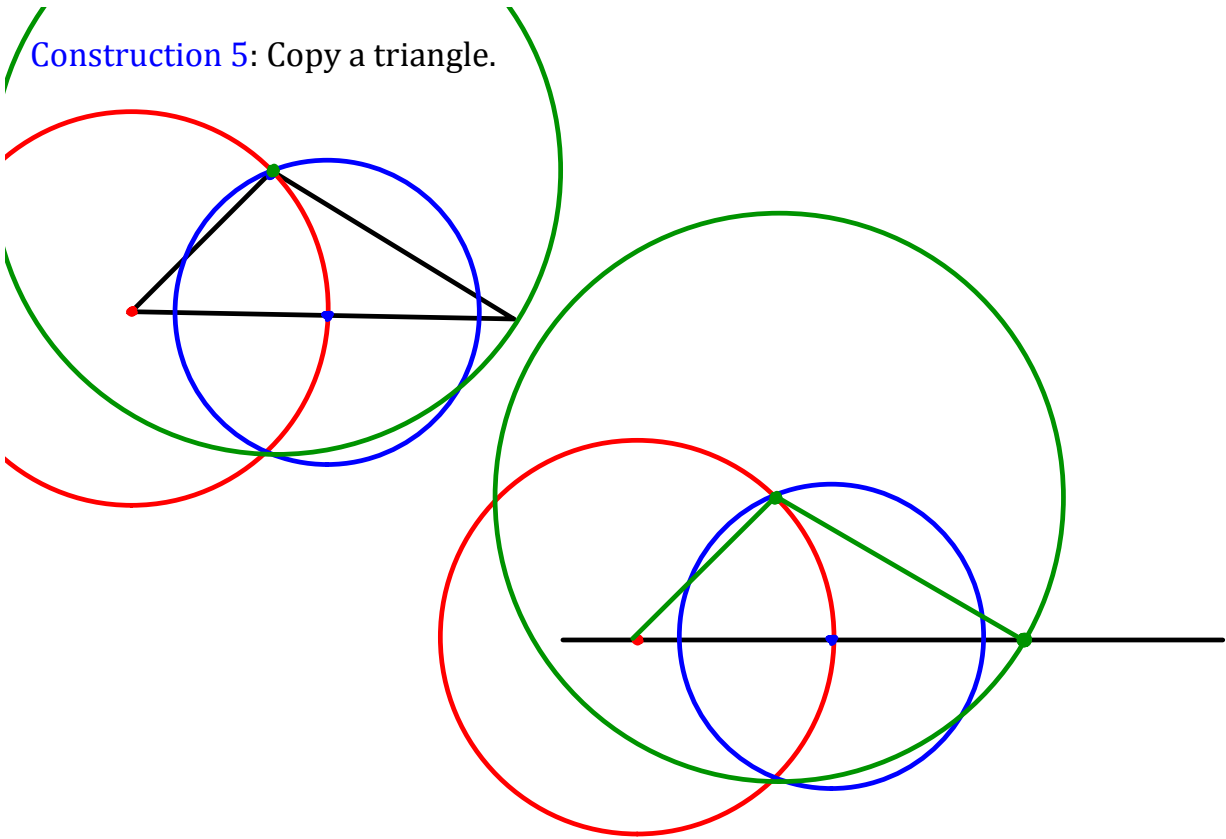
Construction 3: Copy a line segment.



Construction 4: Copy an angle.



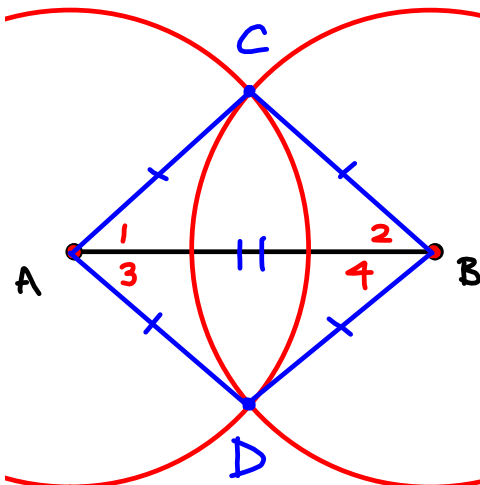
Construction 5: Copy a triangle.



22. Draw line segment AB and construct two triangles ACB and ADB so that AC=CB=AD=DB. Identify the equal lengths with tick marks.

23. What kind of triangles are  $\triangle ACB$  and  $\triangle ADB$ ?

isosceles



24. Why is  $\angle 1 = \angle 2$  and  $\angle 3 = \angle 4$ ?

if two sides in a triangle are equal the angles opposite them are equal

25. Why is  $\angle 1 + \angle 3 = \angle 2 + \angle 4$ ?

$\angle 1 + \angle 3 = \angle 2 + \angle 3$  addition &  
 $\angle 1 + \angle 3 = \angle 2 + \angle 4$  substitution

26. Why is  $\angle CAD = \angle CBD$ ?

$\angle CAD = \angle 1 + \angle 3$  &  $\angle CBD = \angle 2 + \angle 4$   
(Betweenness of Rays Theorem)  
 $\angle CAD = \angle CBD$  (substitution)

27. Why must  $\triangle ACB$  and  $\triangle ADB$  be congruent?

$AB = AB$  (reflexive)  
SSS congruence

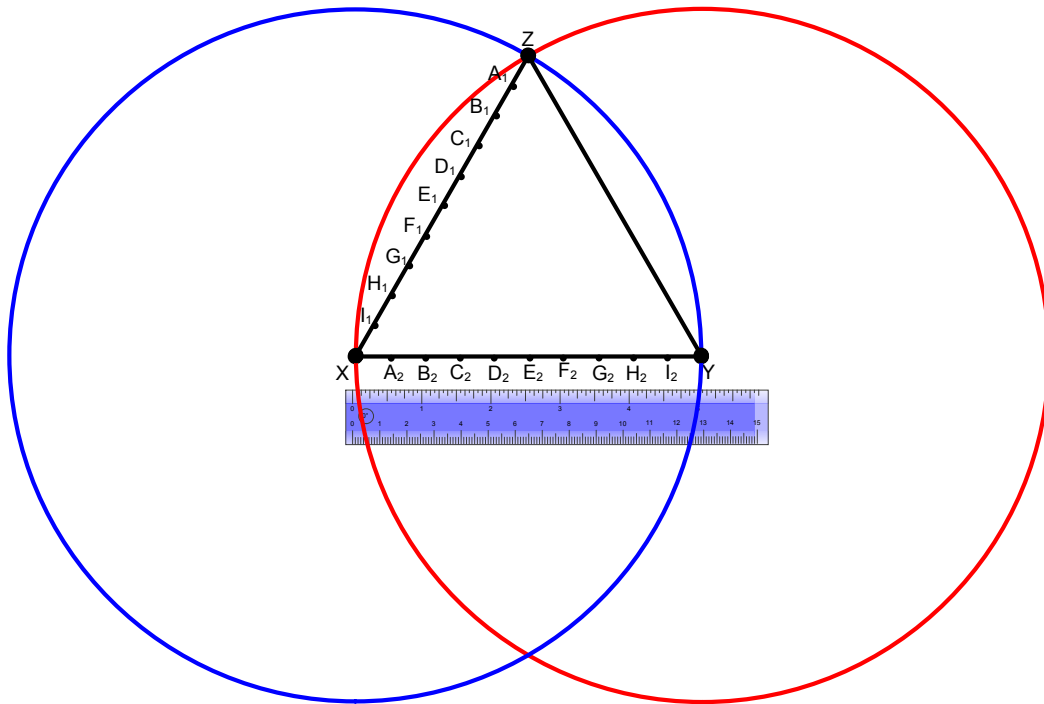
28. Why is  $\angle 1 = \angle 3$  and  $\angle 2 = \angle 4$ ?

corresponding parts of congruent triangles are equal

29. How is AB related to  $\angle CAD$  and  $\angle CBD$ ?

angle bisector

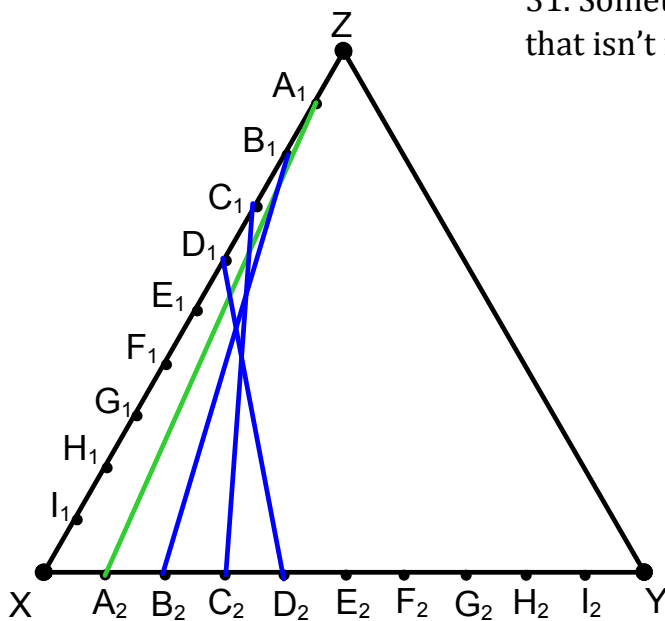
30. Use your ruler to draw a horizontal line segment 5 inches long in the center of a sheet of paper. Label it XY. Construct equilateral triangle XYZ having XY as its base. Use your ruler to mark points on XY 0.5 inch apart; do the same on XZ. Label the points as shown.



Use your straightedge to draw line segments between the points labeled with the same letter ( $A_1A_2$ ,  $B_1B_2$ , etc.)

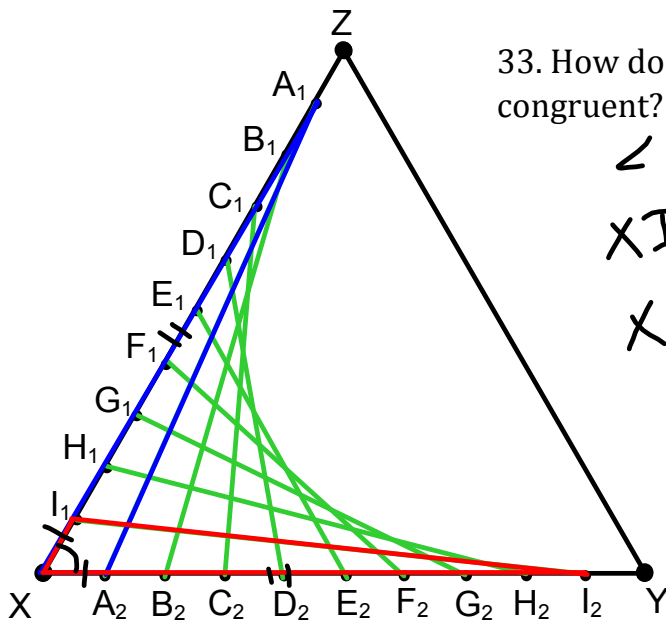
31. Something appears to be in the figure that isn't really there. What is it?

*parabola*



The finished figure contains many pairs of congruent triangles.

32. To which triangle is  $\Delta XA_1A_2$  congruent?



$\Delta XI_2I_1$

33. How do you know that these triangles are congruent?

$\angle X = \angle X$

$XI_1 = XA_2$

$XI_2 = XA_1$

SAS  
congruence

**5.1 - Properties of Inequality**

Algebraic Axioms:

The "Three Possibilities" Property: either  $a > b$ ,  $a = b$ , or  $a < b$

The Transitive Property: If  $a > b$  and  $b > c$ , then  $a > c$

$a > b > c$

The Addition Property: If  $a > b$ , then  $a + c > b + c$

The Subtraction Property: If  $a > b$ , then  $a - c > b - c$

The Multiplication Property: If  $a > b$  and  $c > 0$ , then  $ac > bc$

The Division Property: If  $a > b$  and  $c > 0$ , then  $a/c > b/c$

The Addition Theorem of Inequality: If  $a > b$  and  $c > d$ , then  $a + c > b + d$   
 Proof: Given Prove

Statements	Reasons
1. $a > b$	Given
2. $a + c > b + c$	Addition
3. $c > d$	Given
4. $b + c > b + d$	Addition
5. $a + c > b + d$	Transitive

The "Whole Greater than Part" Theorem: If  $a > 0$ ,  $b > 0$ , and  $a + b = c$ , then  $c > a$  and  $c > b$

Proof:

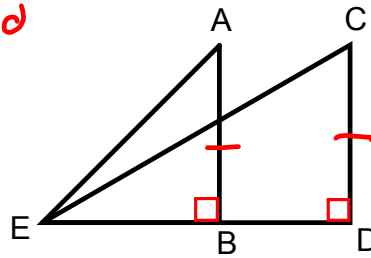
Statements	Reasons
1. $a > 0$ and $b > 0$	Given
2. $a + b > b$ and $a + b > a$	Addition
3. $a + b = c$	Given
4. $c > b$ and $c > a$	Substitution

47.

*iff  $a < c < d$  or  $a > c > d$*

Given:  $AB=CD$ ;  $EA-EC-ED$

Prove:  $\angle AED > \angle CED$



Proof:

Statements	Reasons
1. $EA-EC-ED$	<i>Given</i>
2. $\angle AED = \angle AEC + \angle CED$	<i>Betweenness of Rays Theorem</i>
3. $\angle AEC > 0$	<i>guarantees <math>a &lt; c</math> or <math>a &gt; c</math> (i.e. <math>a \neq c</math>) <math>\angle AEC \neq 0</math></i>
3.5 $\angle AEC + \angle CED > \angle CED$	<i>Addition</i>
4. $\angle AED > \angle CED$	<i>Substitution</i>

HW #1 (submitted Friday, 11/7)

- Read Ch 1 & Ch 2
- [Ch 1 Review Problems pp. 36-38](#)
- Start working on Geometry badge on [Khan Academy](#)

HW #2 (submitted Friday, 11/14)

- Read Ch 3 & Ch 4
- [Ch 2 Review Problems pp. 71-74](#)
- [Ch 3 Review Problems pp. 124-128](#)
- Khan Academy exercises:
  - "Introduction to Euclidean geometry"
  - "Angles and intersecting lines"

HW #3 (due Friday, 11/21)

- Read Ch 4 & Ch 5
- [Ch 4 Review Problems pp.176-180](#)
- Khan Academy exercises: "[Congruence](#)"