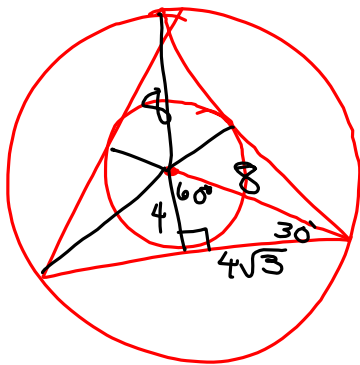


From Handout:

- Ch 12 Practice Test p. 723 #1-25
- Ch 12 Standardized Practice Test p. 724-725 #1-10
- Ch 13 Practice Test p. 769 #1-25
- Ch 13 Standardized Practice Test p. 770-771 #1-12

Due Wed. 5/10



area of big circle - area of triangle + area of small circle

$$\pi R^2 - \frac{1}{2} b h + \pi r^2$$

$$- 3(8)^2 \cos \frac{180^\circ}{3} \sin \frac{180^\circ}{3}$$

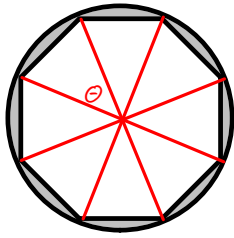
$$- 3 \cdot 64 \cdot \frac{1}{2} \cdot \frac{\sqrt{3}}{2}$$

$$\pi(8)^2 - (4\sqrt{3})(4+8) + \pi(4)^2$$

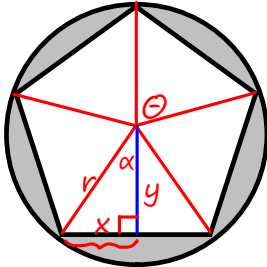
$$64\pi - 48\sqrt{3} + 16\pi$$

$$= 80\pi - 48\sqrt{3}$$

≈



$$\theta = \frac{360}{n} \quad \alpha = \frac{1}{2}\theta \quad \alpha = \frac{180}{n}$$



$$\cos \alpha = \frac{y}{r} \quad y = r \cos \alpha$$

$$\sin \alpha = \frac{x}{r} \quad x = r \sin \alpha$$

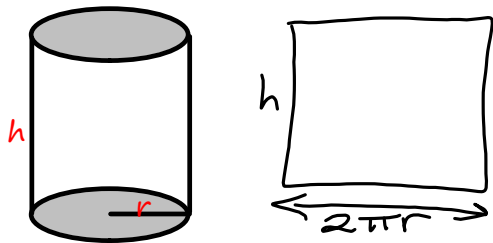
We have  $n$  triangles whose base is  $2x$  and height is  $y$ .

$$\text{Area of polygon} = n(r \cos \alpha)(r \sin \alpha)$$

$$A = nr^2 \cos \frac{180}{n} \sin \frac{180}{n}$$

$$\text{Perimeter of polygon} = n(2x)$$

$$P = 2nr \sin \frac{180}{n}$$



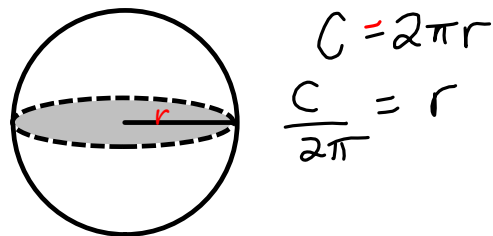
$$\text{area of circular base} = \pi r^2$$

$$V_{\text{cylinder}} = \pi r^2 h$$

$$\text{circumference of circular base} = 2\pi r$$

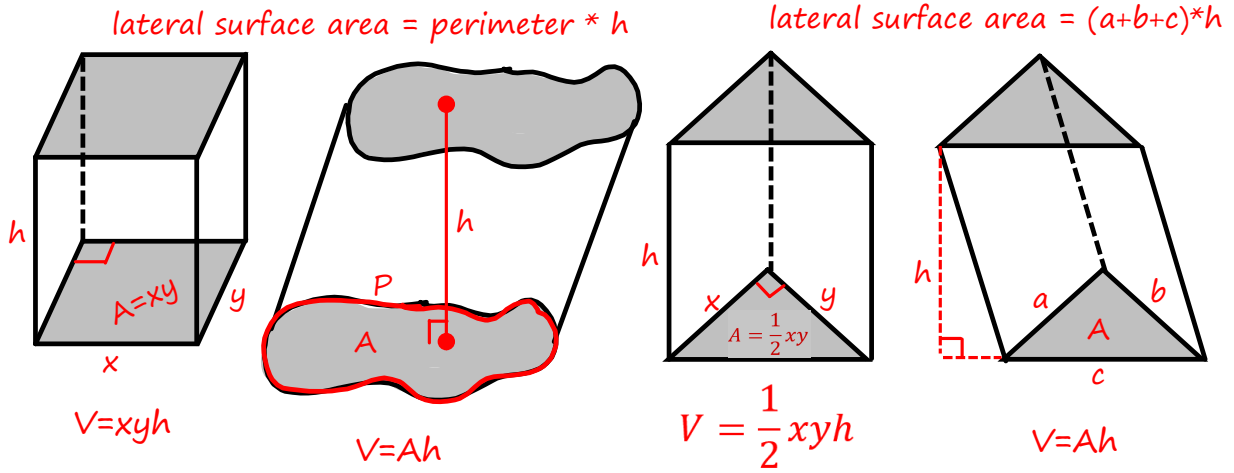
$$\text{lateral surface area of cylinder} = 2\pi r h$$

$$\text{total surface area of cylinder} = 2\pi r h + 2\pi r^2$$

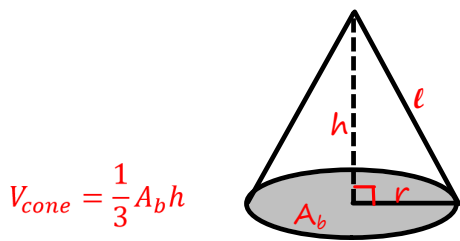


$$V_{\text{sphere}} = \frac{4}{3}\pi r^3$$

$$\text{surface area of sphere} = 4\pi r^2$$



The volume of a prism is equal to the product of the area of the base times the perpendicular height.  
 The lateral surface area of a prism is equal to the perimeter of a base times the perpendicular height.  
 The surface area of a prism is equal to the sum of the areas of the two bases and the lateral surface area.



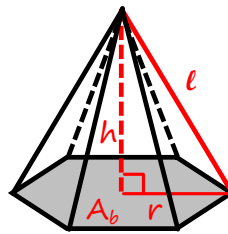
$$V_{\text{cone}} = \frac{1}{3}A_b h$$

$$A_{\text{base}} = \pi r^2$$

$$V_{\text{cone}} = \frac{1}{3}\pi r^2 h$$

*lateral area of a cone*  
 $= \frac{1}{2}\pi r^2 l$

*total surface area of a cone*  
 $= \frac{1}{2}\pi r^2 l + \pi r^2$



$$V_{\text{pyramid}} = \frac{1}{3}A_b h$$

*lateral area of a pyramid*  
 $= \frac{1}{2}A_b l$

*total surface area of a pyramid*  
 $= \frac{1}{2}A_b l + A_b$